



UMBC
AN HONORS UNIVERSITY IN MARYLAND



CMSC 461, Database Management Systems
Spring 2018

Lecture 12 - Chapter 8 Relational Database Design Part 2

These slides are based on “Database System Concepts” 6th edition book and are a modified version of the slides which accompany the book

(<http://codex.cs.yale.edu/avi/db-book/db6/slide-dir/index.html>), in addition to the 2009/2012 CMSC 461 slides by Dr. Kalpakis

Logistics

- Phase 2 due Wednesday 3/7/2018
- HW3 due 3/12/2018
- Midterm 3/14/2018

Lecture Outline

- Midterm Review
- Normalization
- Boyce-Codd (BCNF)
- Third Normal Form
- Functional Dependency Theory

Lecture Outline

- *Midterm Review*
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Midterm

- See study guide

Lecture Outline

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Why Normalize?

Why Normalize?

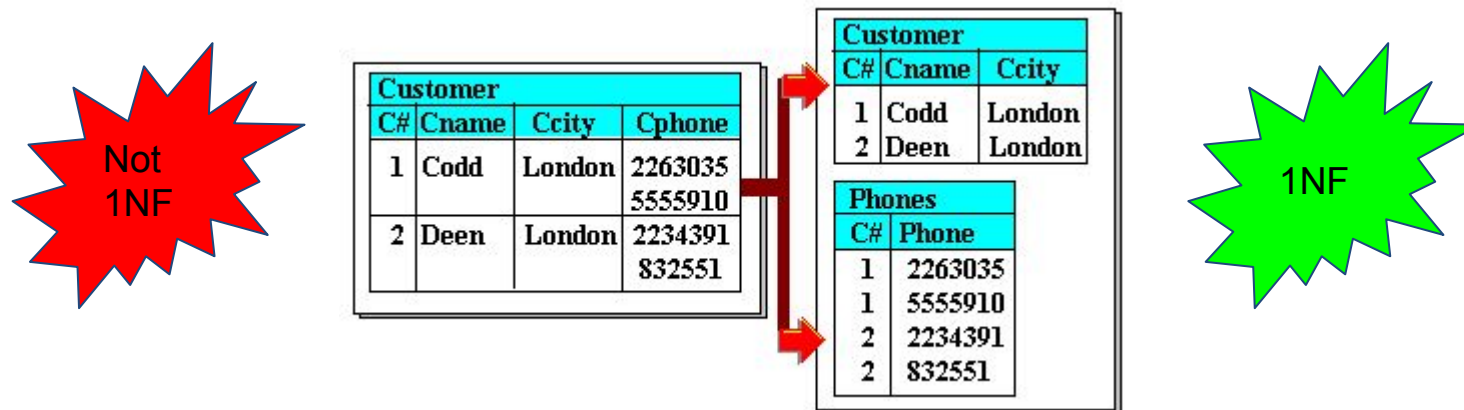
- Reduce the amount of duplicate data
- Reduce data modification issues
- Simplify queries

Normal Forms

- First (we will cover a lot)
- Second (we will briefly cover)
- Third and BCNF (we will cover a lot)
- Fourth (we will briefly cover)
- Fifth (we will not cover)

First Normal Form

- Attributes contains atomic values
- Eliminate composite and multi-valued attributes



Second Normal Form

- If each attribute in R meets one of the following:
 - It appears in a candidate key
 - It is not partially dependent on a candidate key

Therefore, if R is in 1st normal form and its non-key attributes are functionally dependent on the candidate key it is in second normal form.

Second Normal Form

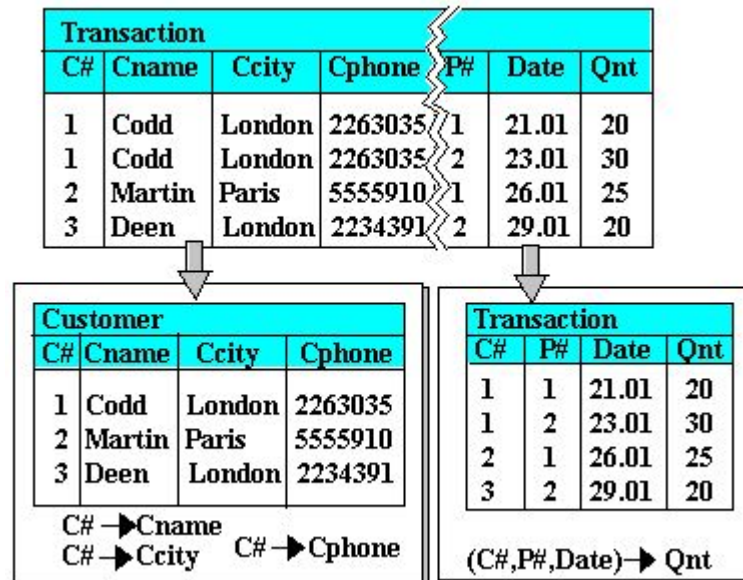
Transaction						
C#	Cname	Ccity	Cphone	P#	Date	Qnt
1	Codd	London	2263035	1	21.01	20
1	Codd	London	2263035	2	23.01	30
2	Martin	Paris	5555910	1	26.01	25
3	Deen	London	2234391	2	29.01	20



Transaction						
C#	Cname	Ccity	Cphone	P#	Date	Qnt
1	Codd	London	2263035	1	21.01	20
1	Codd	London	2263035	2	23.01	30
2	Martin	Paris	5555910	1	26.01	25
3	Deen	London	2234391	2	29.01	20
4	Smith	Vienna	?	?	?	?

Transaction						
C#	Cname	Ccity	Cphone	P#	Date	Qnt
1	Codd	London	2263035	1	21.01	20
1	Codd	London	2263035	2	23.01	30
Delete						
2	Martin	Paris	5555910	1	26.01	25
3	Deen	London	2234391	2	29.01	20

Entity Integrity Violation: P# is a part of primary key !



Third Normal Form

- If in 2nd normal form and
- Contains only attributes dependent on the primary key and not other attributes

Customer				
C#	Cname	Ccity	Cphone	Salesperson
1	Codd	London	2263035	Smith
2	Martin	Paris	5555910	Ducruer
3	Deen	London	2234391	Smith
?	?	Sarawak	?	Fatimah

C# -> Cname, Ccity, Cphone, Salesperson
Salesperson has indirect dependency

Boyce-Codd Normal Form

- Remember BCNF is stricter than 3NF
- So if it is BCNF, then it is 3NF
- However if it is 3NF, it may not be BCNF

<u>Student</u>	<u>Course</u>	Teacher
Sok	DB	John
Sao	DB	William
Chan	E-Commerce	Todd
Sok	E-Commerce	Todd
Chan	DB	William

- ▶ Key: {Student, Course}
- ▶ Functional Dependency:
 - ▶ {Student, Course} → Teacher
 - ▶ Teacher → Course
- ▶ Problem: *Teacher* is not a superkey but determines *Course*.

Fourth Normal Form

- Has to be in BCNF
- Requires understanding multivalued dependencies
- Given an entity, should not contain 2 or more independent multi-valued facts

Employee ID	Language	Operating System
1212	C++	Windows
1212	Java	Windows
1212	Python	Windows
1212	Python	Linux
1212	Java	Linux

Fourth Normal Form

- Has to be in BCNF
- Requires understanding multivalued dependencies
- Given an entity, should not contain 2 or more independent multi-valued facts

Employee ID	Language
1212	C++
1212	Java
1212	Python

Employee ID	Operating System
1212	Windows
1212	Linux
1212	Linux

Fourth Normal Form

Another example (more on 4NF later)

Car_Model (PK)	Engine_Type (PK)	Color (PK)
Mustang	3.7L V6	Red
Mustang	3.7L V6	Blue
Mustang	5.0L V8	Red
Taurus	3.5L V6	Green
Taurus	2.0L Eco	Green

Simplified: The Normal Forms

A nice simple discussion of normal forms (not 100% precise, but close enough)

<https://www.essentialsql.com/get-ready-to-learn-sql-11-database-third-normal-form-explained-in-simple-english/>

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- *Boyce-Codd (BCNF)*
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Boyce-Codd Normal Form

A relation schema R is in BCNF with respect to a set F of functional dependencies if for all functional dependencies in F^+ of the form

$$\alpha \rightarrow \beta$$

where $\alpha \subseteq R$ and $\beta \subseteq R$, at least one of the following holds:

- $\alpha \rightarrow \beta$ is trivial (i.e., $\beta \subseteq \alpha$)
- α is a superkey for R

Example schema *not* in BCNF:

instr_dept (ID, name, salary, dept_name, building, budget)

because $dept_name \rightarrow building, budget$
holds on *instr_dept*, but *dept_name* is not a superkey

Boyce-Codd Normal Form

Are these schemas in BCNF:

instructor (*ID*, *name*, *dept_name*, *salary*)
ID → *name*, *dept_name*, *salary*

YES – *ID* is superkey

department(*dept_name*, *building*, *budget*)
dept_name → *building*, *budget*

YES – *dept_name* is superkey

Decomposing a Schema into BCNF

- Suppose we have a schema R and a non-trivial dependency $\alpha \rightarrow \beta$ causes a violation of BCNF.

We decompose R into:

$(\alpha \cup \beta)$

$(R - (\beta - \alpha))$

- In our example:

instr_dept (ID, name, salary, dept_name, building, budget)

$\alpha = dept_name$

$\beta = building, budget$

and *inst_dept* is replaced by

$(\alpha \cup \beta) = (dept_name, building, budget)$

$(R - (\beta - \alpha)) = (ID, name, salary, dept_name)$

Convert it to BCNF

Schema:

Student(ID,Name,AdvisorID,AdvisorName)

What are the functional dependencies?

Convert it to BCNF

Schema:

Student(ID,Name,AdvisorID,AdvisorName)

What are the functional dependencies?

ID \rightarrow Name

AdvisorID \rightarrow AdvisorName

What uniquely identifies the tuples?

Convert it to BCNF

Schema:

Student(ID,Name,AdvisorID,AdvisorName)

What are the functional dependencies?

ID \rightarrow Name

AdvisorID \rightarrow AdvisorName

What uniquely identifies the tuples?

(ID,AdvisorID)

Is there a BCNF violation?

Convert it to BCNF

Schema:

Student(ID,Name,AdvisorID,AdvisorName)

What are the functional dependencies?

ID \rightarrow Name

AdvisorID \rightarrow AdvisorName

What is the primary key?

(ID,AdvisorID)

Is there a BCNF violation? YES!

Convert it to BCNF

Schema:

Student(ID,Name,AdvisorID,AdvisorName)

What are the functional dependencies?

ID \rightarrow Name

AdvisorID \rightarrow AdvisorName

What is the primary key?

(ID,AdvisorID)

Is there a BCNF violation? **YES!**

Use ID \rightarrow Name to decompose R

(ID,AdvisorID,AdvisorName) and (ID,Name)

BCNF and Dependency Preservation

- Constraints, including functional dependencies, are costly to check in practice unless they pertain to only one relation
- If it is sufficient to test only those dependencies on each individual relation of a decomposition in order to ensure that all functional dependencies hold, then that decomposition is dependency preserving
- Because it is not always possible to achieve both BCNF and dependency preservation, we consider a weaker normal form, known as third normal form

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Third Normal Form

- A relation schema R is in **third normal form (3NF)** if for all:

$\alpha \rightarrow \beta$ in F^+

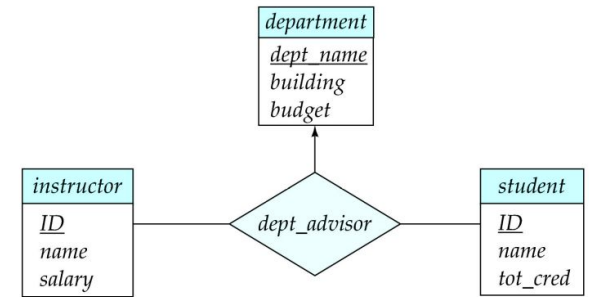
at least one of the following holds:

- $\alpha \rightarrow \beta$ is trivial
- α is a superkey for R
- Each attribute A in $\beta - \alpha$ is contained in a candidate key for R .

(NOTE: each attribute may be in a different candidate key)

- If a relation is in BCNF it is in 3NF (since in BCNF one of the first two conditions above must hold).
- Third condition is a minimal relaxation of BCNF to ensure dependency preservation (will see why later).

Third Normal Form



- Given dept_advisor with dependencies:
 - $i_ID \rightarrow dept_name$
 - $s_ID, dept_name \rightarrow i_ID$
- $i_ID \rightarrow dept_name$ make dept_advisor not BCNF
 - $\alpha = i_ID$
 - $\beta = dept_name$
 - $\beta - \alpha = dept_name$
- But since $s_ID, dept_name \rightarrow i_ID$ holds on dept_advisor then dept_name is a candidate key which means
- dept_advisor is in 3NF

Goals of Normalization

- Let R be a relation scheme with a set F of functional dependencies
- Decide whether a relation scheme R is in “good” form
- In the case that a relation scheme R is not in “good” form, decompose it into a set of relation scheme $\{R_1, R_2, \dots, R_n\}$ such that:
 - each relation scheme is in good form
 - the decomposition is a lossless-join decomposition
 - Preferably, the decomposition should be dependency preserving

How Good is BCNF?

- There are database schemas in BCNF that do not seem to be sufficiently normalized
- Consider a relation *inst_info* (*ID*, *child_name*, *phone*)
 - where an instructor may have more than one phone and can have multiple children

<i>ID</i>	<i>child_name</i>	<i>phone</i>
99999	David	512-555-1234
99999	David	512-555-4321
99999	William	512-555-1234
99999	Willian	512-555-4321

inst_info

How Good is BCNF?

- There are no non-trivial functional dependencies and therefore the relation is in BCNF
- Insertion anomalies – i.e., if we add a phone 981- 992-3443 to 99999, we need to add two tuples (99999, David, 981-992-3443) (99999, William, 981-992-3443)

How Good is BCNF?

- Therefore, it is better to decompose *inst_info* into:

	<i>ID</i>	<i>child_name</i>
<i>inst_child</i>	99999	David
	99999	David
	99999	William
	99999	Willian

	<i>ID</i>	<i>phone</i>
<i>inst_phone</i>	99999	512-555-1234
	99999	512-555-4321
	99999	512-555-1234
	99999	512-555-4321

This suggests the need for higher normal forms, such as Fourth Normal Form (4NF), which we shall see later

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Functional Dependencies

- Let R be a relation schema

$$\alpha \subseteq R \text{ and } \beta \subseteq R$$

- The *functional dependency*

$$\alpha \rightarrow \beta$$

- holds on R if and only if for any legal relations $r(R)$, whenever any two tuples t_1 and t_2 of r agree on the attributes α , they also agree on the attributes β . That is

$$t_1[\alpha] = t_2[\alpha] \Rightarrow t_1[\beta] = t_2[\beta]$$

- Example: Consider $r(A,B)$ with the following instance of r

1	4
1	5
3	7

- On this instance, $A \rightarrow B$ does NOT hold, but $B \rightarrow A$ does hold

Functional Dependencies

- Functional dependencies allow us to express constraints that cannot be expressed using superkeys. Consider the schema:

inst_dept (ID, name, salary, dept_name, building, budget)

We expect these functional dependencies to hold:

dept_name → building

but would not expect the following to hold:

dept_name → salary

Functional Dependencies

- We use functional dependencies to:
 - test relations to see if they are legal under a given set of functional dependencies
 - If a relation r is legal under a set F of functional dependencies, we say that r **satisfies** F
 - specify constraints on the set of legal relations
- We say that F **holds on** R if all legal relations on R satisfy the set of functional dependencies F
- Note: A specific instance of a relation schema may satisfy a functional dependency even if the functional dependency does not hold on all legal instances
 - For example, a specific instance of *instructor* may sometimes satisfy

$\text{name} \rightarrow \text{ID}$

Functional Dependencies

- A functional dependency is trivial if it is satisfied by all instances of a relation
 - Example:
 - $ID, name \rightarrow ID$
 - $name \rightarrow name$
 - In general, $\alpha \rightarrow \beta$ is trivial if $\beta \subseteq \alpha$

Functional Dependencies

Examples

Assume schema:

student(student_id, first_name, last_name, major, SSN)

Which are true in regards to functional dependencies:

student_id → *last_name* **TRUE**

last_name → *student_id* **FALSE**

student_id → *last_name, major, SSN, student_id* **TRUE**

SSN → *student_id, last_name, major, SSN* **TRUE**

first_name → *last_name* **FALSE**

last_name → *last_name* **TRUE**

Functional Dependency Theory

We now consider the formal theory that tells us which functional dependencies are implied logically by a given set of functional dependencies.

Closure of a Set of Functional Dependencies

- Given a set F of functional dependencies, there are certain other functional dependencies that are logically implied by F
 - For example:
Given a schema $r(A,B,C)$
If $A \rightarrow B$ and $B \rightarrow C$
then we can infer that $A \rightarrow C$
- The set of all functional dependencies logically implied by F is the closure of F
- We denote the closure of F by F^+
- F^+ is a superset of F

Closure of a Set of Functional Dependencies

- We can find F^+ , the closure of F , by repeatedly applying **Armstrong's Axioms**:
 - if $\beta \subseteq \alpha$, then $\alpha \rightarrow \beta$ (**reflexivity**)
 - if $\alpha \rightarrow \beta$, then $\gamma \alpha \rightarrow \gamma \beta$ (**augmentation**)
 - if $\alpha \rightarrow \beta$, and $\beta \rightarrow \gamma$, then $\alpha \rightarrow \gamma$ (**transitivity**)
- These rules are
 - **sound** (generate only functional dependencies that actually hold), and
 - **complete** (generate all functional dependencies that hold).

Closure of a set of Functional Dependencies

- Additional rules:
 - If $\alpha \rightarrow \beta$ holds and $\alpha \rightarrow \gamma$ holds, then $\alpha \rightarrow \beta \gamma$ holds (**union**)
 - If $\alpha \rightarrow \beta \gamma$ holds, then $\alpha \rightarrow \beta$ holds and $\alpha \rightarrow \gamma$ holds (**decomposition**)
 - If $\alpha \rightarrow \beta$ holds and $\gamma \beta \rightarrow \delta$ holds, then $\alpha \gamma \rightarrow \delta$ holds (**pseudotransitivity**)

The above rules can be inferred from Armstrong's axioms.

Closure of a set of Functional Dependencies Example

- $R = (A, B, C, G, H, I)$

$$F = \{ A \rightarrow B$$

$$A \rightarrow C$$

$$CG \rightarrow H$$

$$CG \rightarrow I$$

$$B \rightarrow H\}$$

- some members of F^+

- $A \rightarrow H$

- by transitivity from $A \rightarrow B$ and $B \rightarrow H$

- $AG \rightarrow I$

- by augmenting $A \rightarrow C$ with G , to get $AG \rightarrow CG$
and then transitivity with $CG \rightarrow I$

- $CG \rightarrow HI$

- by union rule, since $CG \rightarrow H$ and $CG \rightarrow I$, implies
 $CG \rightarrow HI$

Computing F^+

- To compute the closure of a set of functional dependencies F :

$$F^+ = F$$

repeat

for each functional dependency f in F^+

 apply reflexivity and augmentation rules on f

 add the resulting functional dependencies to F^+

for each pair of functional dependencies f_1 and f_2 in F^+

if f_1 and f_2 can be combined using transitivity

then add the resulting functional dependency to F^+

until F^+ does not change any further

NOTE: We shall see an alternative procedure for this task later